

Kinematics and detection of infall of IRAS 16293-2422

Yuan-Chih Hsiao

Advisor: Vivien Chen

August 30 2019

NTHU

IRAS 16293-2422

- Location: ρ Ophiuchus star-forming region
- Class 0 protostar
- Binary system
 - Source A and B separated by 5"(600 AU) (Looney et al. 2000)
- Shows a rich chemistry, with hot-core-like (hot corino) properties

Data

- Science Verification data
- Band 4 (125-163 GHz), **Band 6 (211-275 GHz)**, Band9 (602-720 GHz)
- X1ed.decimated.ms.l16293, X39.decimated.ms.l16293,
X3bf.decimated.ms.l16293, X4fb.decimated.ms.l16293



Combine data sets with task: `concat`

`l16293_corrected.ms`

Observations

Data records: 224400 Total elapsed time = 19730.6 seconds
Observed from 16-Aug-2011/23:07:54.9 to 17-Aug-2011/04:36:45.5 (UTC)

Fields: 2

ID	Code	Name	RA	Decl	Epoch	SrcId	nRows	Source A
0	none	IRAS 16293-2422-a	16:32:22.990000	-24.28.36.10000	J2000	0	112200	Source A
1	none	IRAS 16293-2422-a	16:32:22.715314	-24.28.32.32602	J2000	0	112200	Source B

Spectral Windows: (1 unique spectral windows and 1 unique polarization setups)

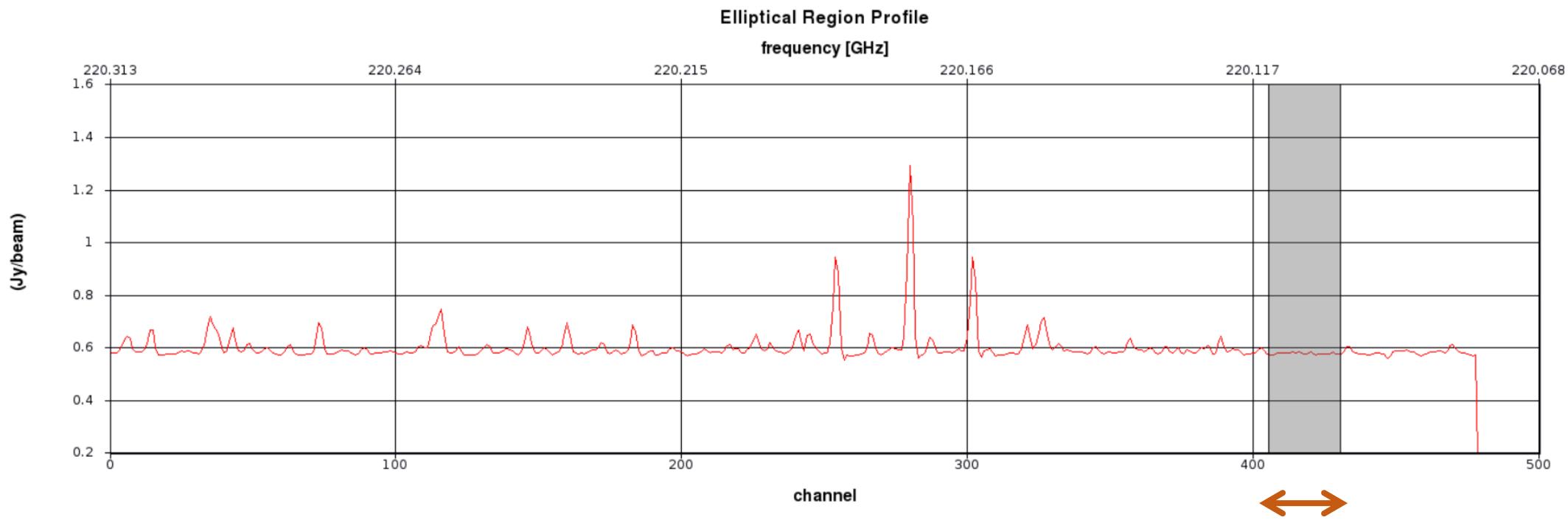
SpwID	Name	#Chans	Frame	Ch0(MHz)	ChanWid(kHz)	TotBW(kHz)	CtrFreq(MHz)	BBC Num	Corrs
0		480	TOPO	220299.429	-488.281	234375.0	220182.4861	1	XX YY

Sources: 1

ID	Name	SpwId	RestFreq(MHz)	SysVel(km/s)
0	IRAS 16293-2422-a	0	-	-

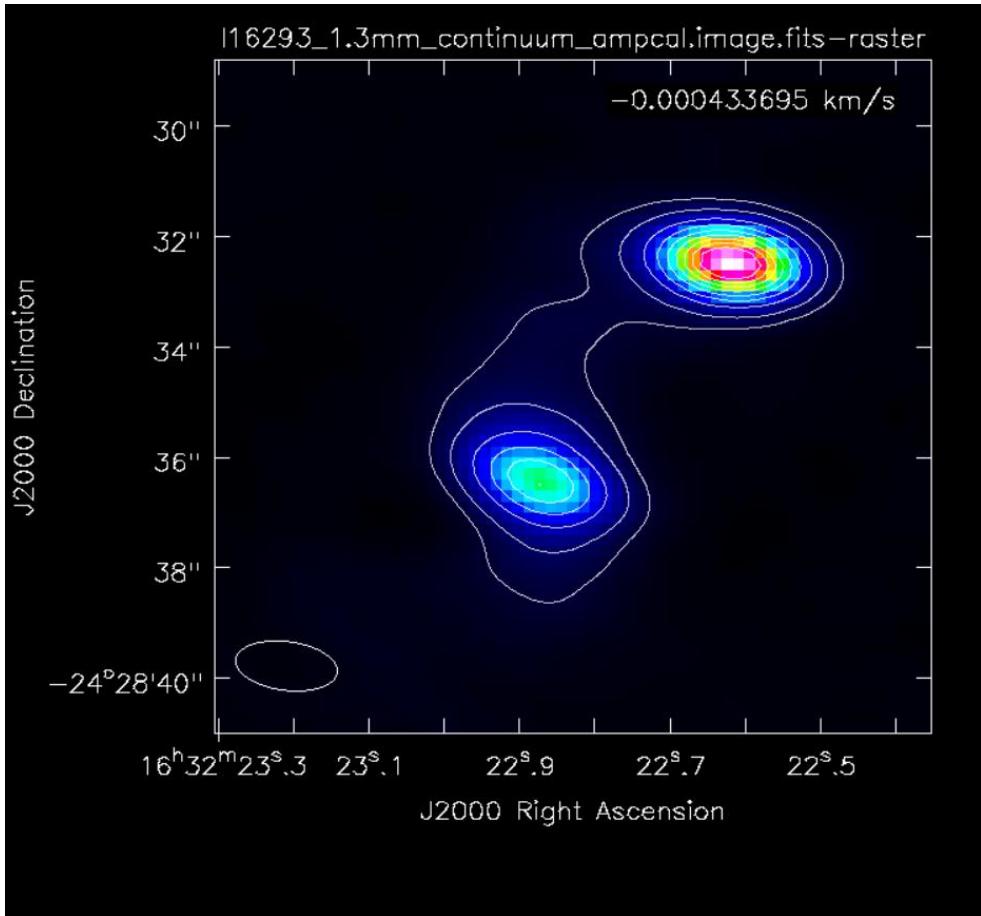
Antennas: 16:

Spectral Profile



Chan: 405~430

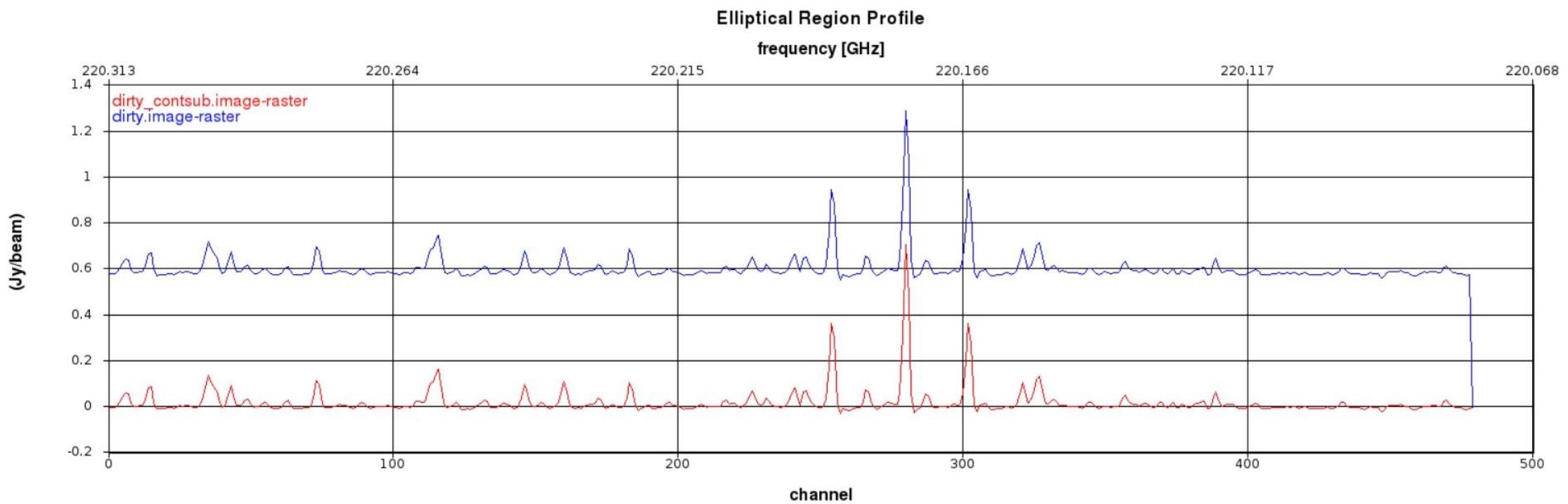
Continuum Map



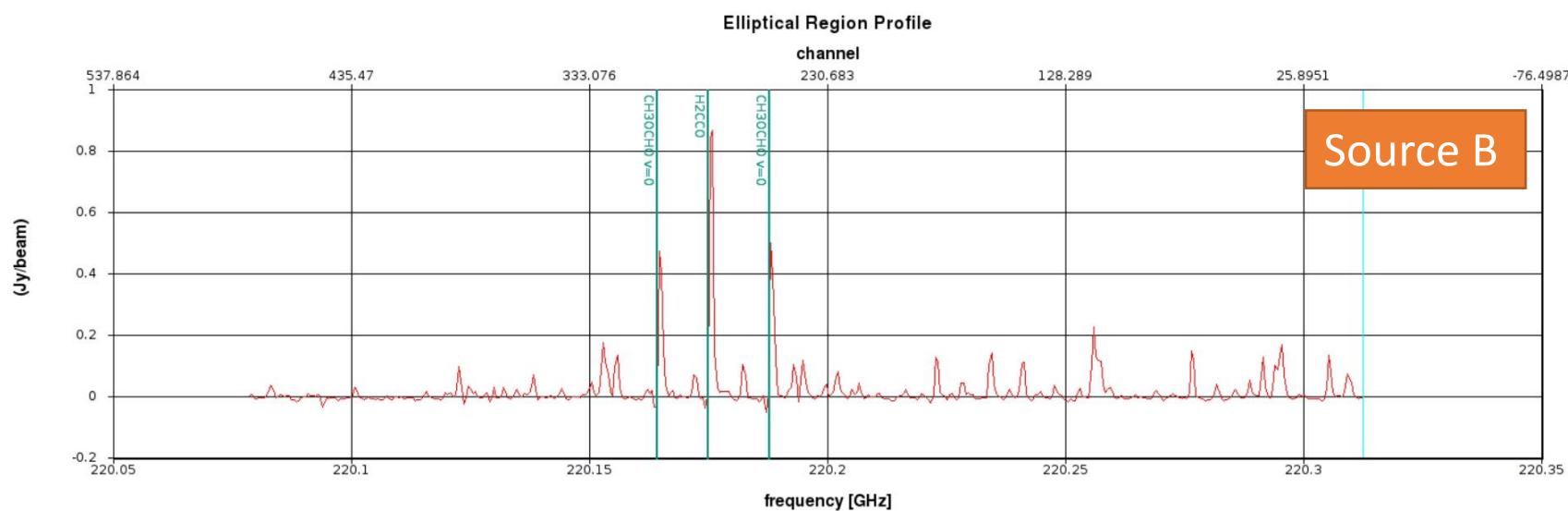
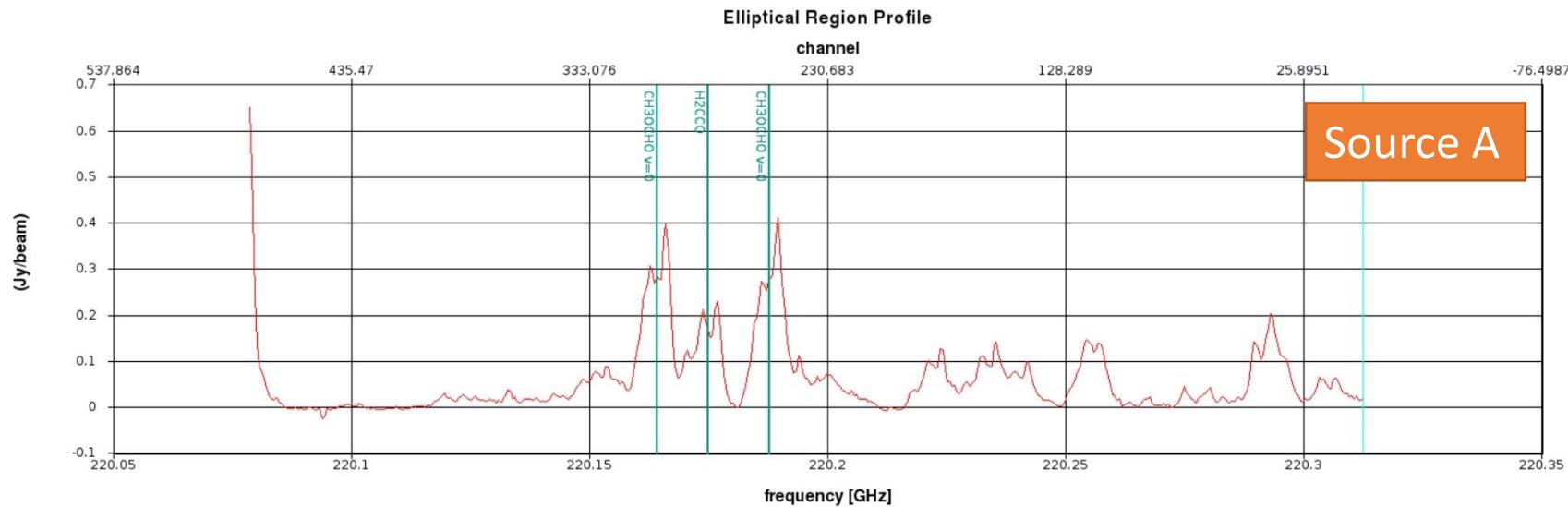
Continuum map after self-cal done by
the paper

Subtract Continuum

Chan: 405~430



Channel Map

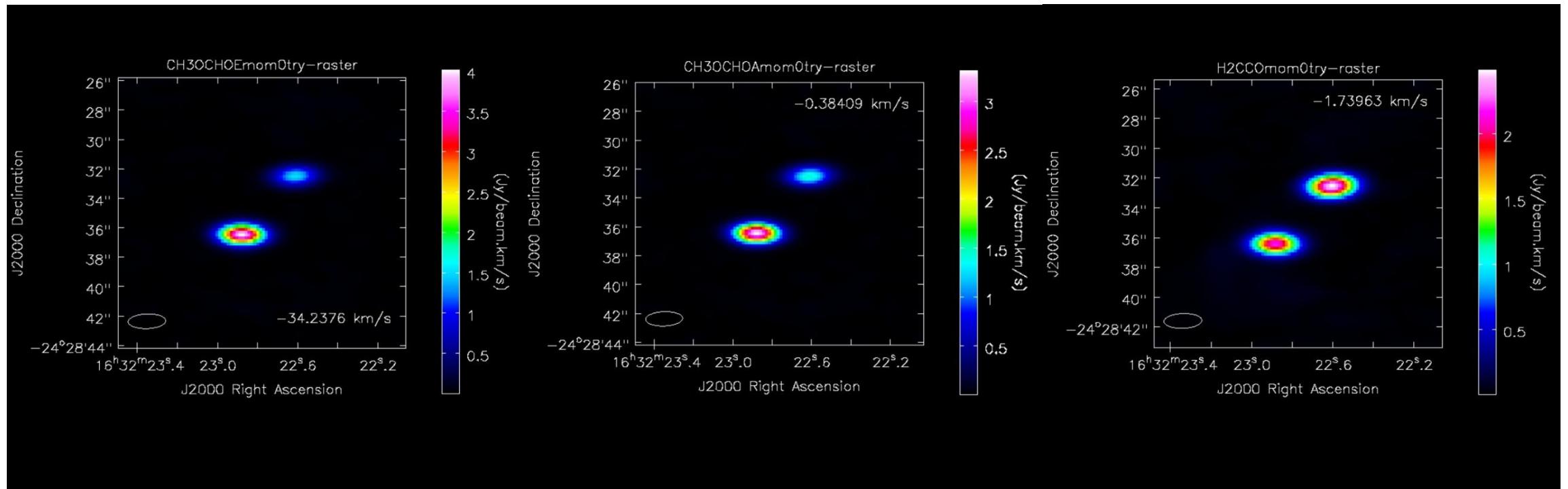


Molecule	Frequency (GHz)
CH ₃ OCHO-E	220.166888
CH ₃ OCHO-A	220.190285
H ₂ CCO	220.17757

Reframe by task:
imreframe

Moment Maps

Moment 0



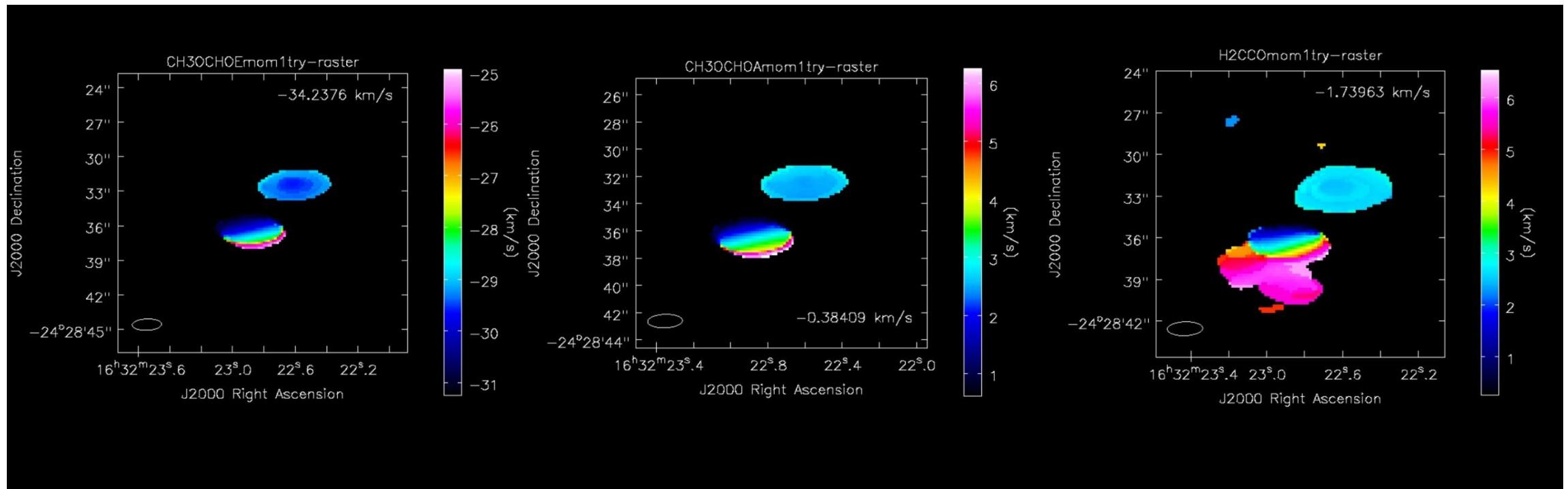
CH₃OCHO-E

CH₃OCHO-A

H₂CCO

Moment Maps

Moment 1

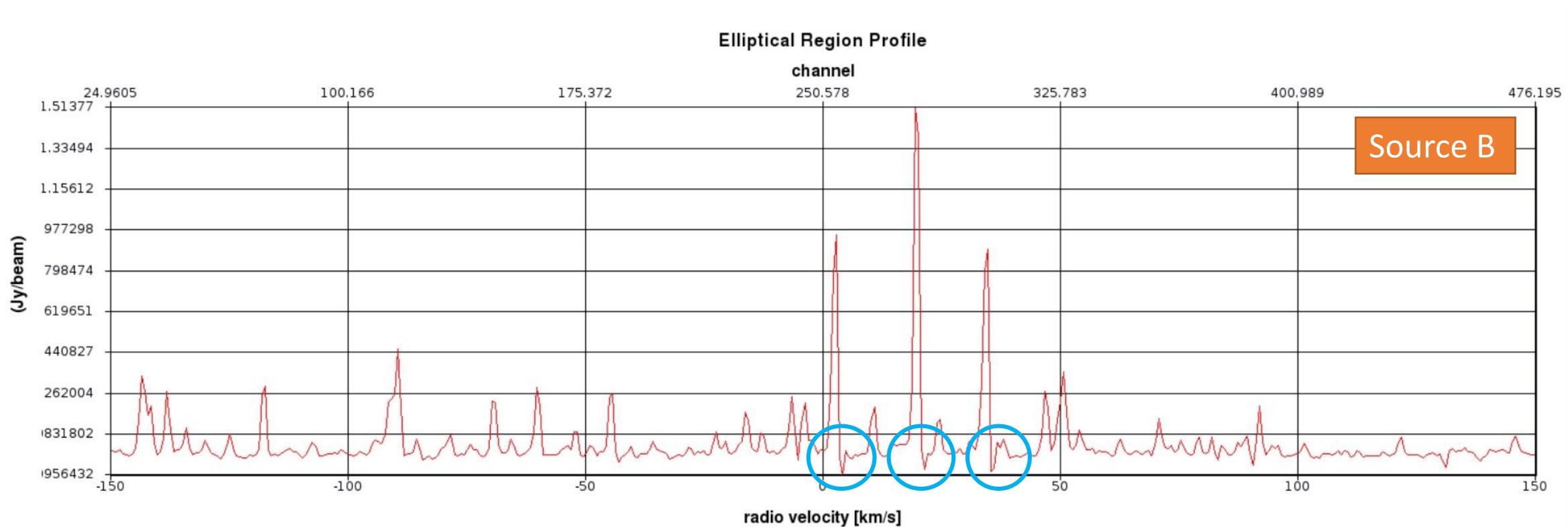


$\text{CH}_3\text{OCHO-E}$

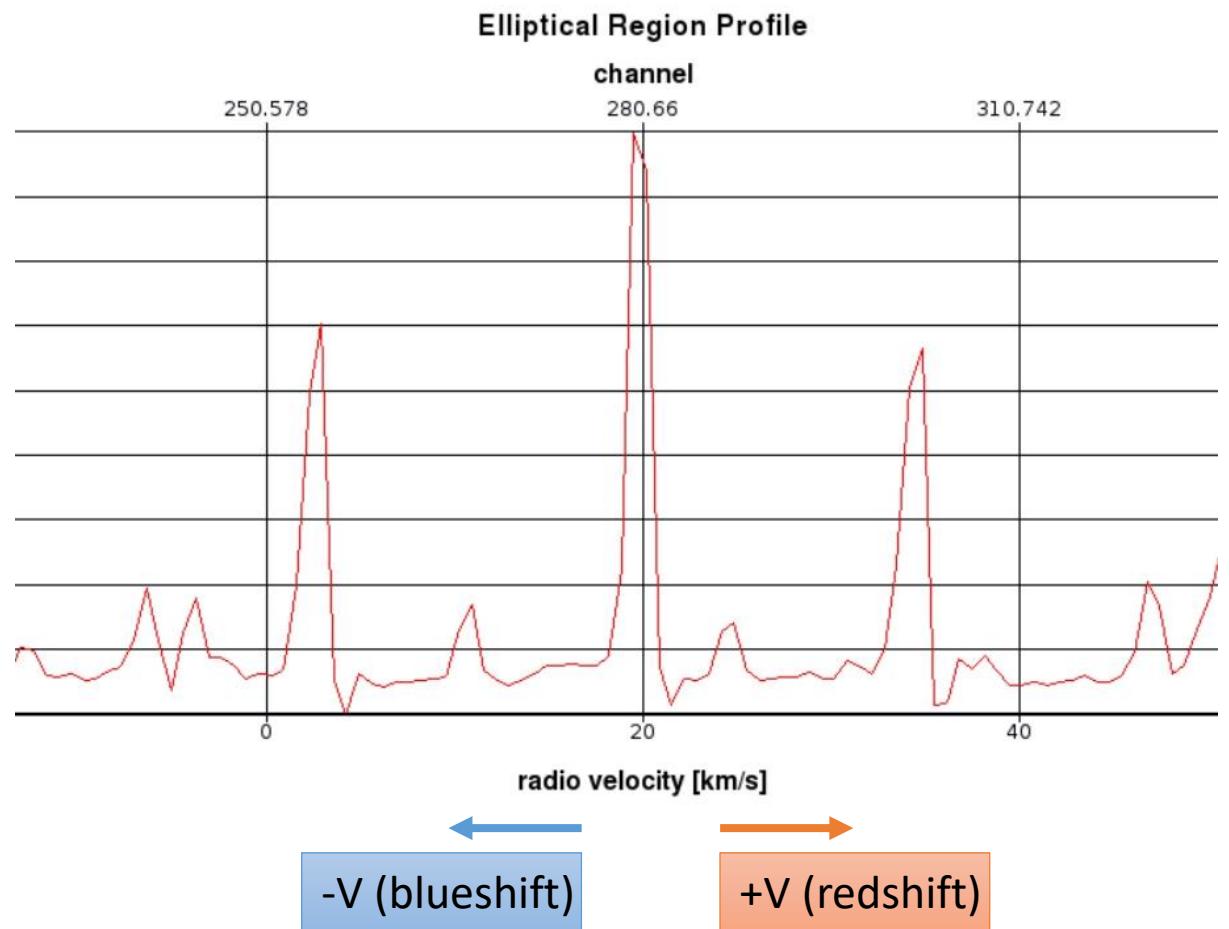
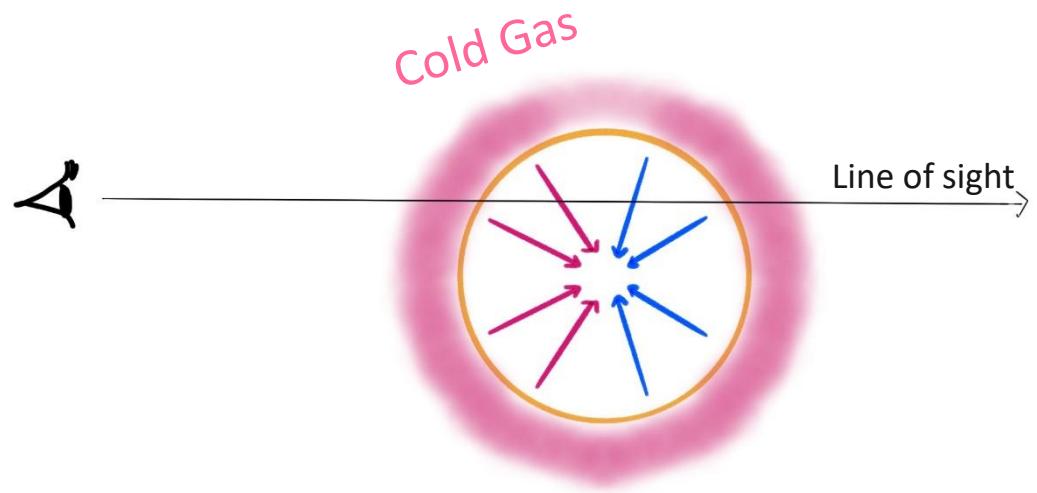
$\text{CH}_3\text{OCHO-A}$

H_2CCO

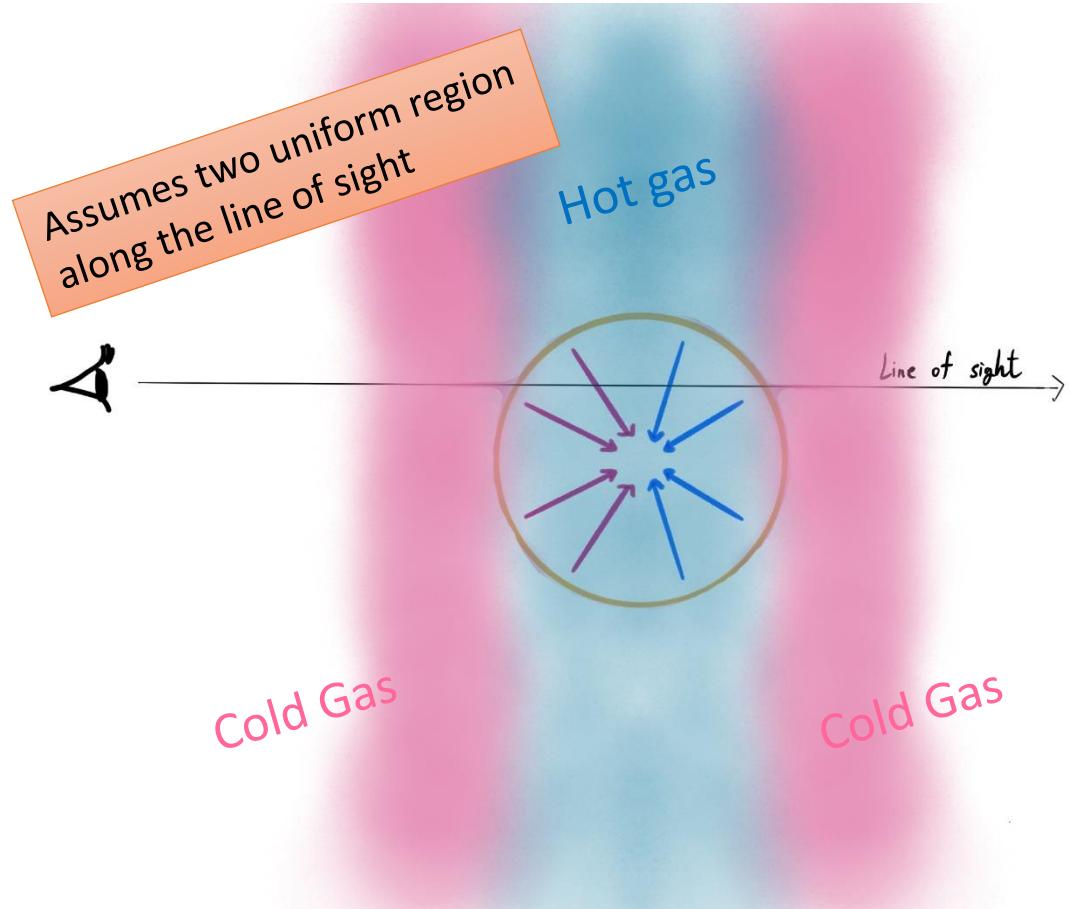
Detect Inverse P-Cygni Profiles



Inverse P-Cygni Profile: Infall Signature



Two-Slab Approximation



Describe by Myers et al. (1996)
Modification introduced by Di Francesco et al. (2001)

Expected line emission at velocity V can be expressed as

$$\Delta T_B = (J_f - J_{cr})[1 - e^{-\tau_f}] + (1 - \phi)(J_r - J_b)[1 - e^{-(\tau_r + \tau_F)}]$$

where

$$J_{cr} = \phi J_c + (1 - \phi)J_r$$

and

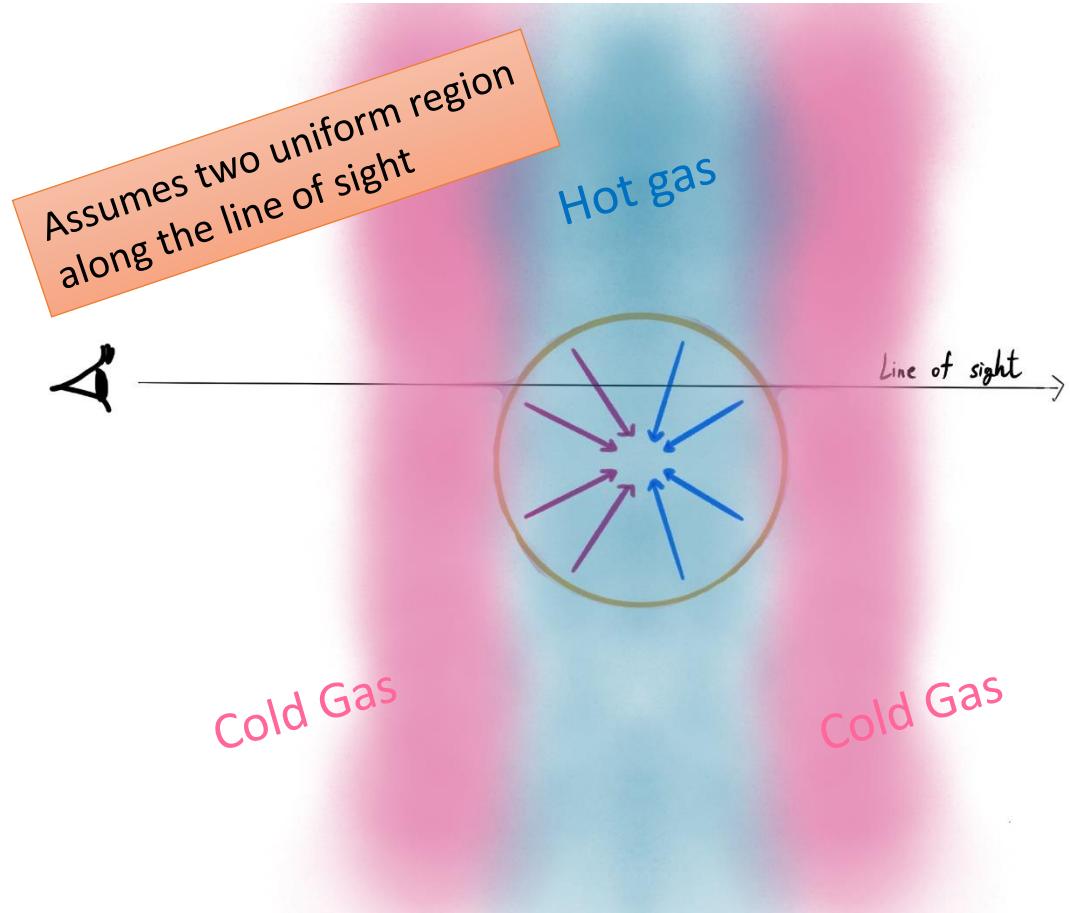
$$\tau_f = \tau_0 \exp \left[\frac{-(V - (V_{lsr} + V_{in}))^2}{2\sigma_v^2} \right]$$

$$\tau_r = \tau_0 \exp \left[\frac{-(V - (V_{lsr} - V_{in}))^2}{2\sigma_v^2} \right]$$

Radiation temperature is defined as

$$J_x = \frac{T_0}{[e^{T_0/T_x} - 1]}$$

Two-Slab Approximation



Fixed value

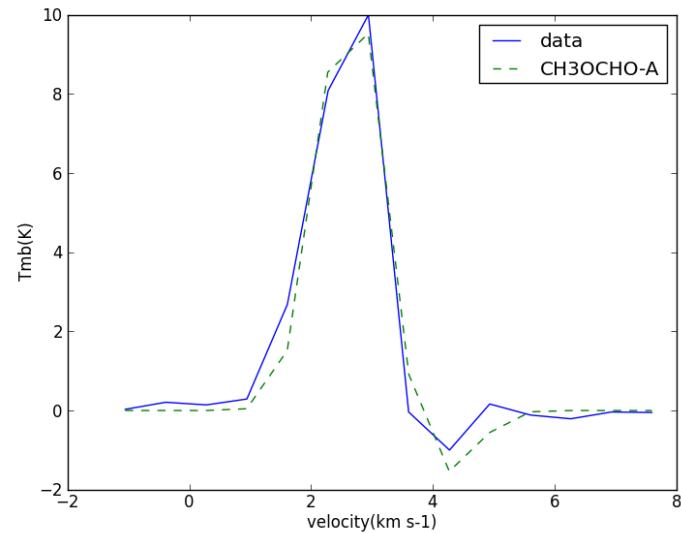
$$T_f = 3 \text{ K}, T_c = 20 \text{ K}, T_b = 2.75 \text{ K}, V_{lsr} = 3.4 \text{ km s}^{-1}, \phi = 0.3$$

(Pineda et al. 2012)

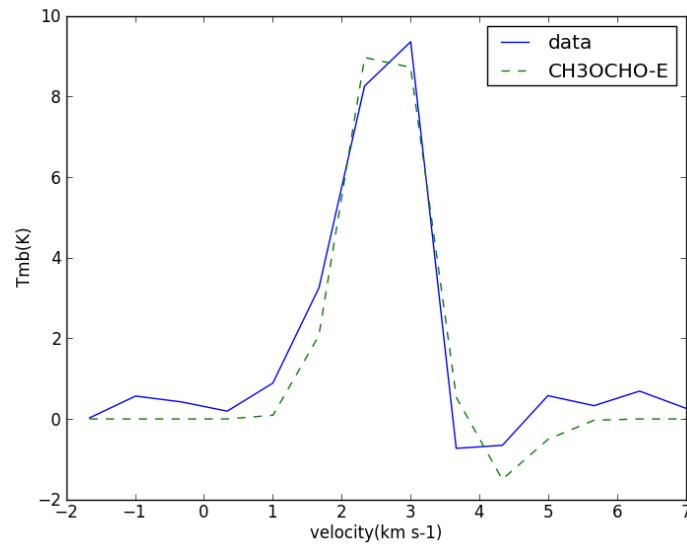
Free parameters for fitted “two-slab” model

- Infall velocity of the layers V_{in}
- Optical depth τ_0
- Velocity dispersion σ_v
- Excitation temperature of the layer of the rear T_r

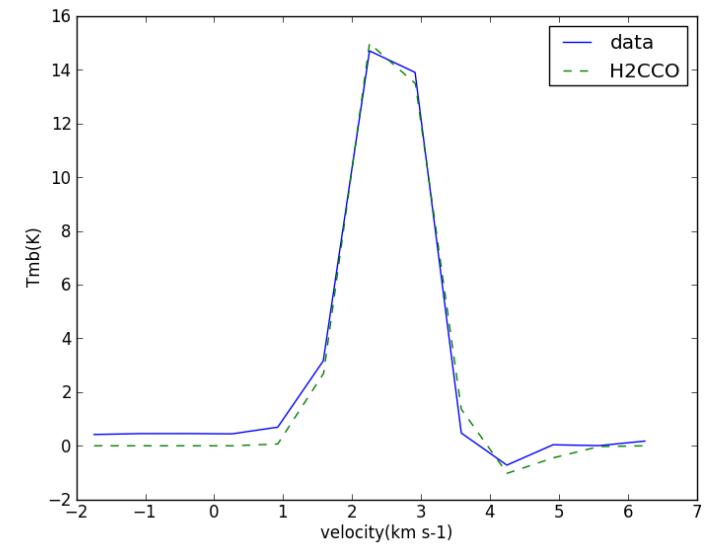
My Fitting Results



CH₃OCHO-A



CH₃OCHO-E



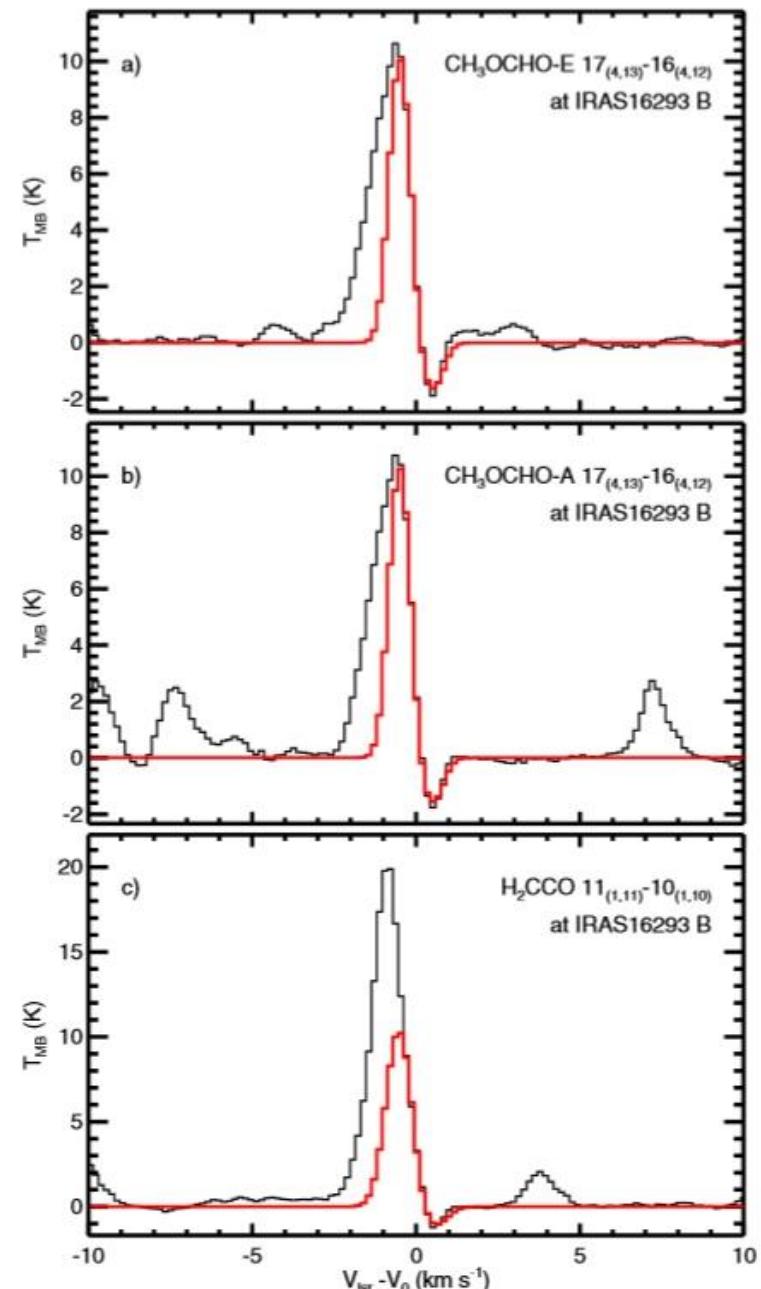
H₂CCO

Line	T _r (K)	τ_0	V _{in} (km s ⁻¹)	σ_v (km s ⁻¹)
CH ₃ OCHO-E	47.48	0.42	0.71	0.53
CH ₃ OCHO-A	49.35	0.41	0.72	0.51
H ₂ CCO	120.44	0.24	0.85	0.48

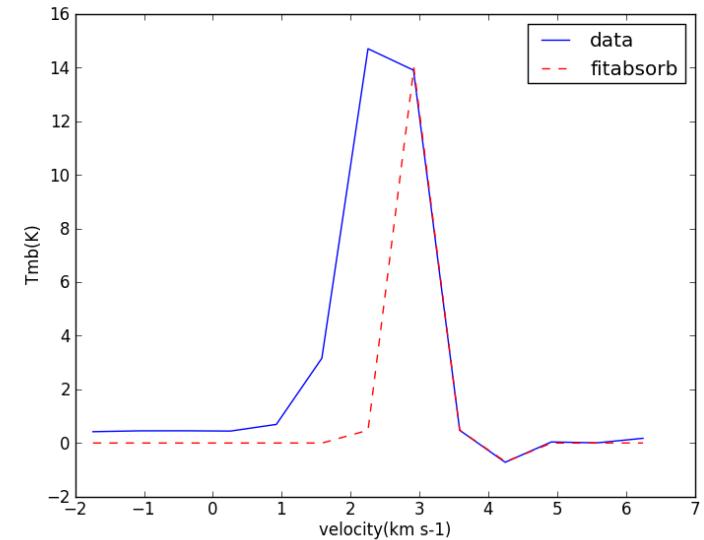
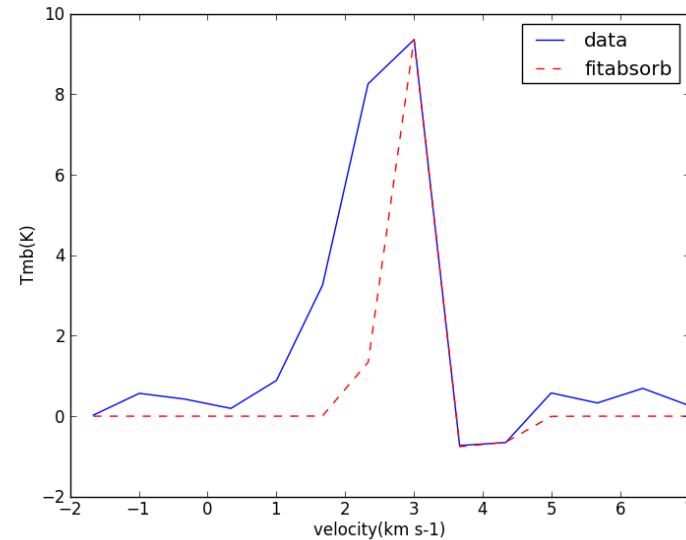
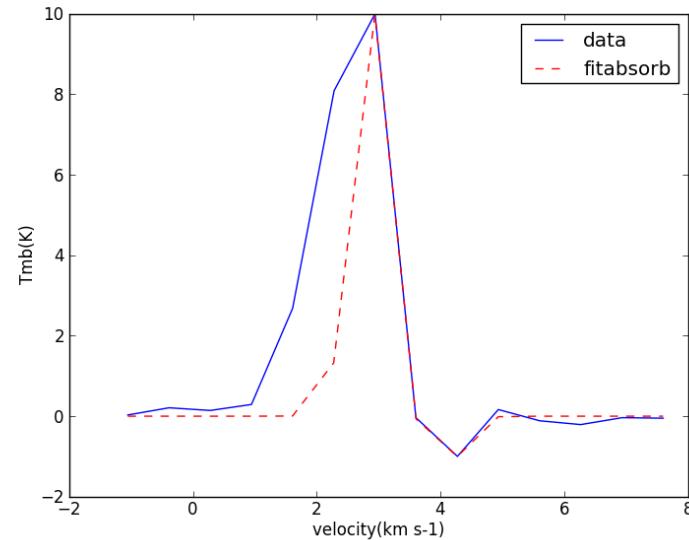
My Fitting Results

Line	T_r (K)	τ_0	V_{in} (km s $^{-1}$)
CH ₃ OCHO-E	47.48	0.42	0.71
CH ₃ OCHO-A	49.35	0.41	0.72
H ₂ CCO	120.44	0.24	0.85

Line	T_r (K)	τ_0	V_{in} (km s $^{-1}$)
CH ₃ OCHO-E	44 ± 3	0.48 ± 0.04	0.49 ± 0.02
CH ₃ OCHO-A	46 ± 3	0.45 ± 0.04	0.49 ± 0.02
H ₂ CCO	60 ± 10	0.33 ± 0.05	0.51 ± 0.07



Fitting Result (Absorption Only)



$\text{CH}_3\text{OCHO-A}$

$\text{CH}_3\text{OCHO-E}$

H_2CCO

Line	T_r (K)	τ_0	V_{in} (km s $^{-1}$)	σ_v (km s $^{-1}$)
CH3OCHO-E	32.56	0.79	0.28	0.34
CH3OCHO-A	34.11	0.74	0.32	0.35
H2CCO	45.42	0.82	0.28	0.30

Infall Rates

Assuming spherical symmetry, $\dot{M}_{infall} = 4\pi r_{in}^2 n_{in} \mu m_H V_{in}$

r_{in} : infall radius, V_{in} : velocity, n_{in} : density, μ : mean molecular weight of gas=2.3

r_{in} can be estimated assuming the in-fall velocity is only free-fall,

$$M = \frac{V_{in}^2 r_{in}}{2G} = \frac{4}{3} \pi r_{in}^3 \mu m_H$$

Therefore, the accretion rate is estimated as

$$\dot{M}_{infall} = 4.2 \times 10^{-5} \left(\frac{V_{in}}{0.5 \text{ km s}^{-1}} \right)^3 M_{\odot} \text{ yr}^{-1}$$

(Pineda et al. 2012)

Infall Rates

$$\dot{M}_{infall} = 4.2 \times 10^{-5} \left(\frac{V_{in}}{0.5 \text{ km s}^{-1}} \right)^3 M_{\odot} \text{yr}^{-1}$$

molecule	V_{in} (km s ⁻¹)	\dot{M}_{infall} ($M_{\odot} \text{yr}^{-1}$)
CH ₃ OCHO-E	0.28	7.38×10^{-6}
CH ₃ OCHO-A	0.32	1.1×10^{-5}
H ₂ CCO	0.28	7.38×10^{-6}

My Result (fitting absorption)

Molecule	V_{in} (km s ⁻¹)	\dot{M}_{infall} ($M_{\odot} \text{yr}^{-1}$)
CH ₃ OCHO-E	0.49 ± 0.02	4.2×10^{-5}
CH ₃ OCHO-A	0.49 ± 0.02	4.5×10^{-5}
H ₂ CCO	0.51 ± 0.07	4.8×10^{-5}

(Pineda et al. 2012)

Summary

- Different feature in moment map
 - Rotation of source A
- Infall rates of source B

molecule	V_{in} (km s ⁻¹)	\dot{M}_{infall} ($M_{\odot}yr^{-1}$)
CH ₃ OCHO-E	0.28	7.38×10^{-6}
CH ₃ OCHO-A	0.32	1.1×10^{-5}
H ₂ CCO	0.28	7.38×10^{-6}

~Thank you for listening~